

The Servers of Serverless Computing

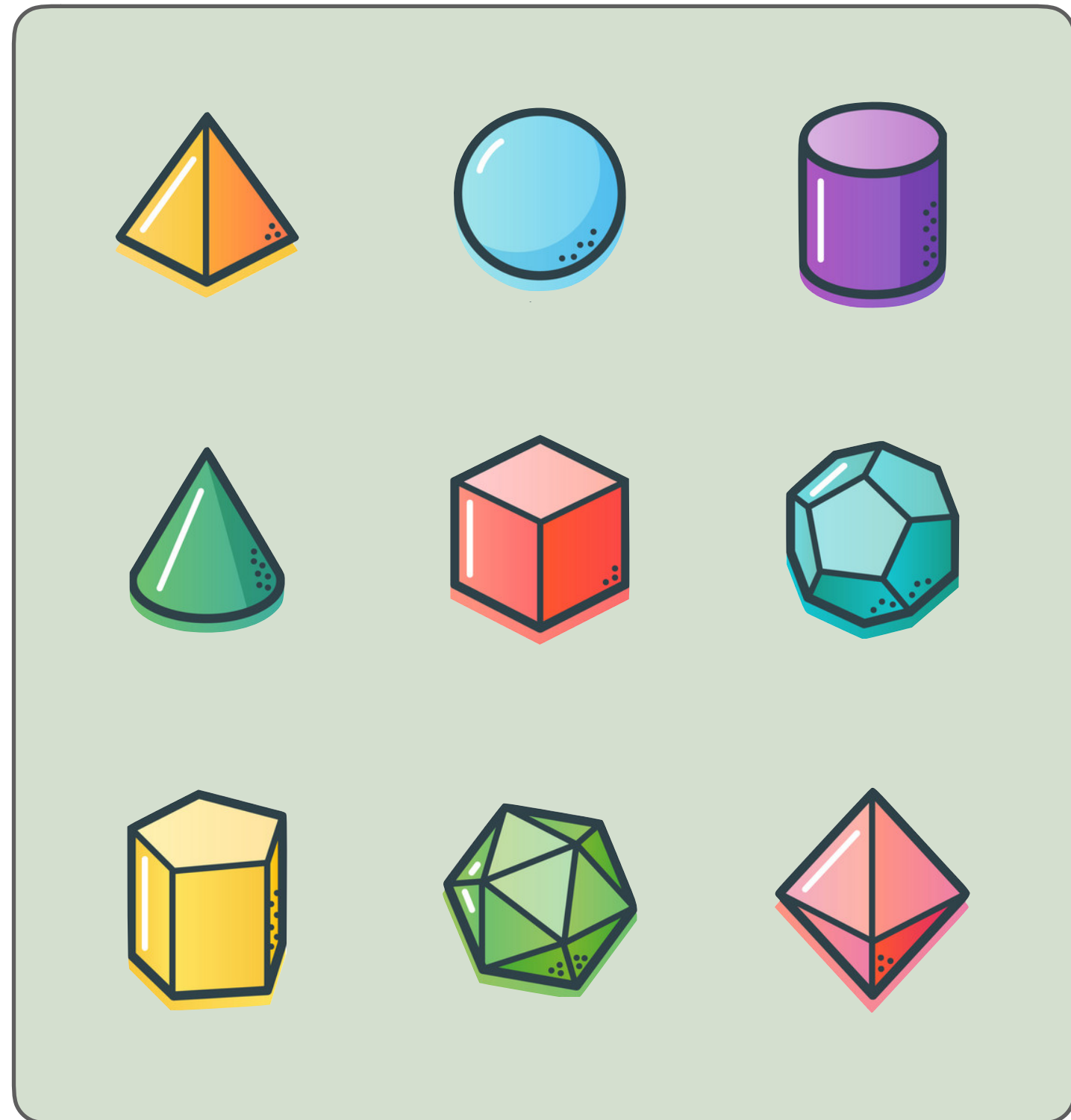
A Formal Revisitation of Functions as Services

Saverio Giallorenzo^{1,2}*former*, Ivan Lanese¹, Fabrizio Montesi², Davide Sangiorgi¹, and Stefano Pio Zingaro¹

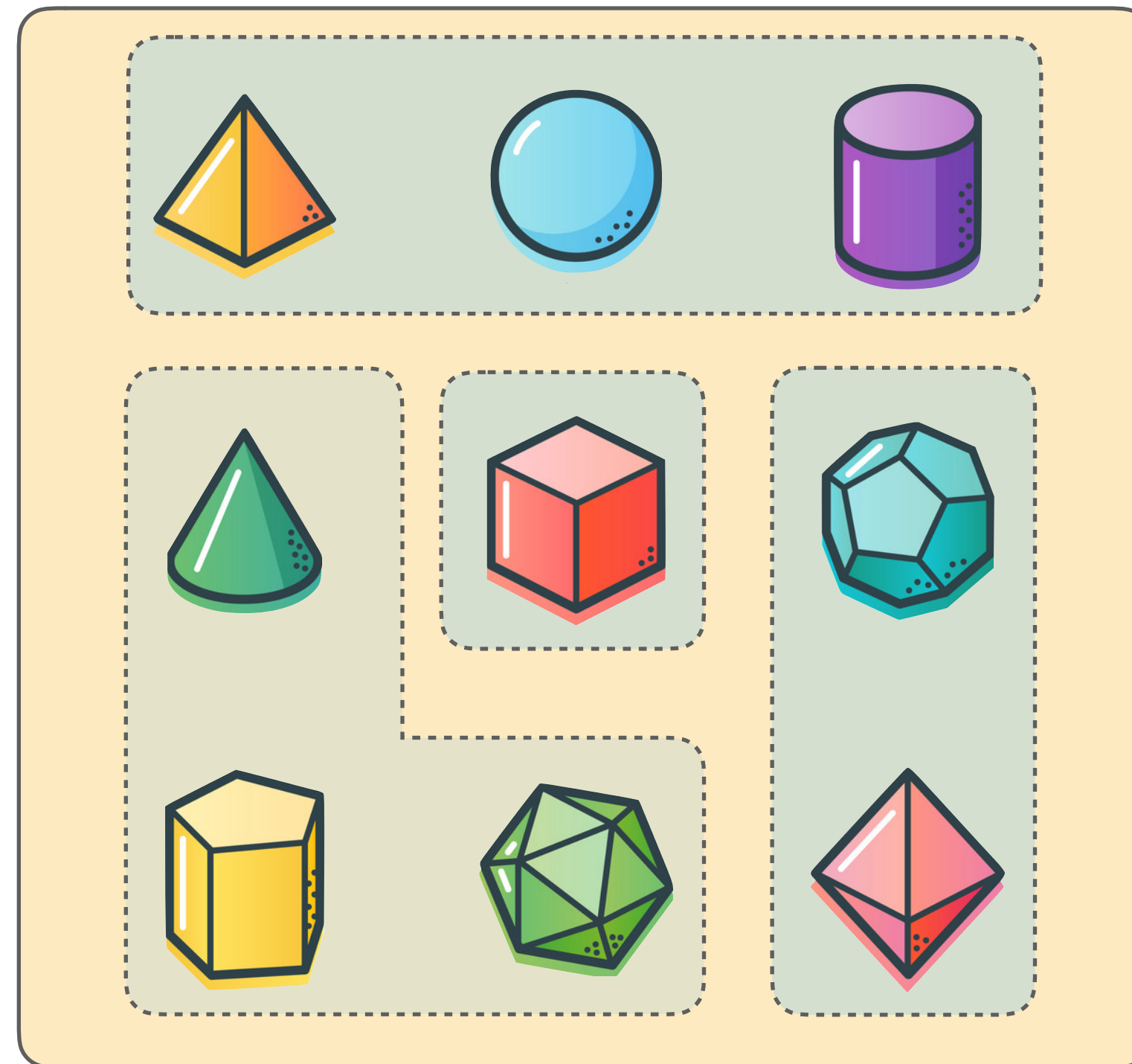
¹Università di Bologna/INRIA

²University of Southern Denmark

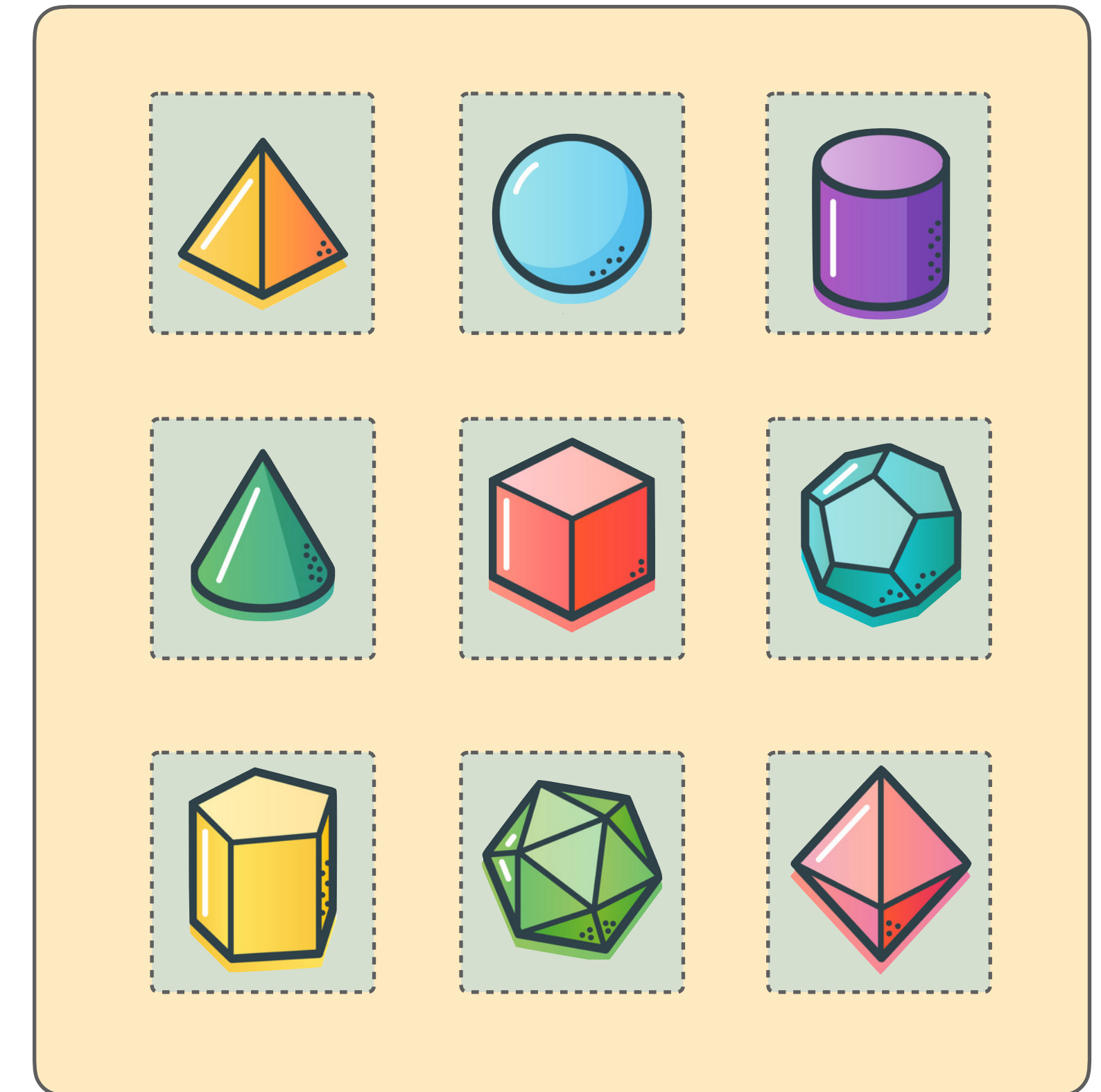
A Gentle Introduction to Serverless



Monolith



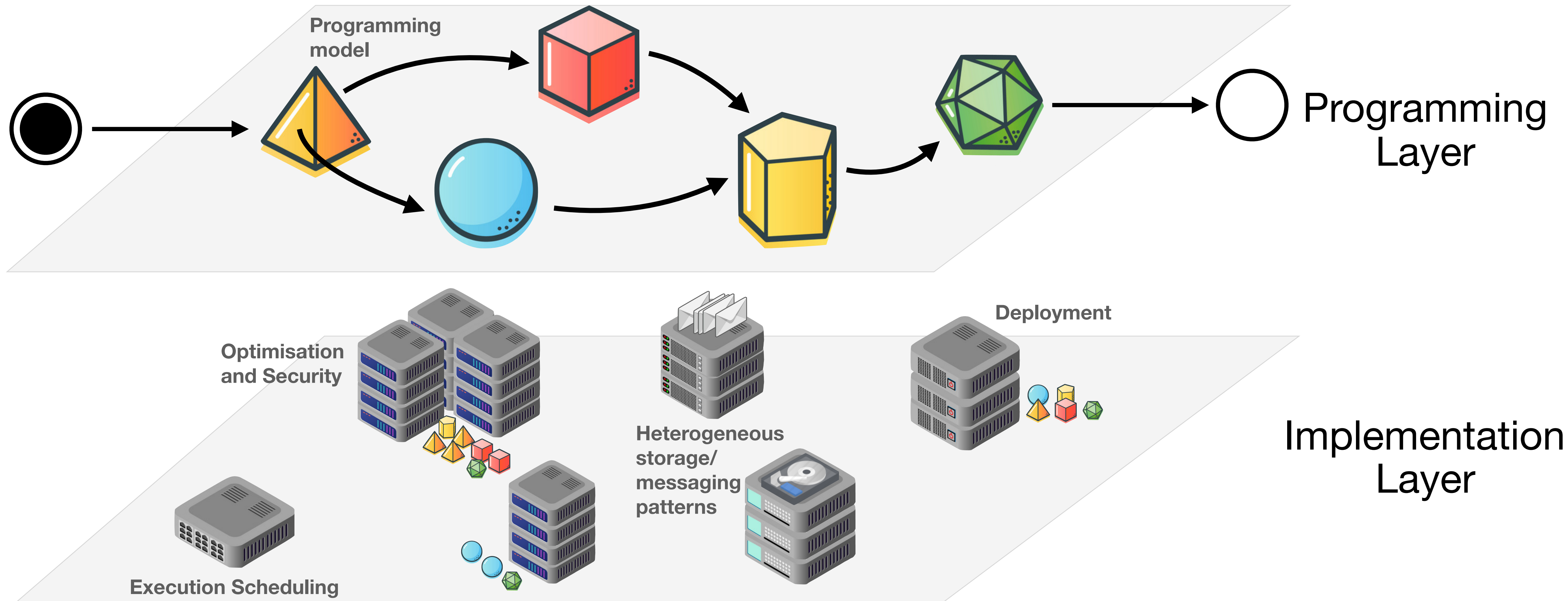
Microservices



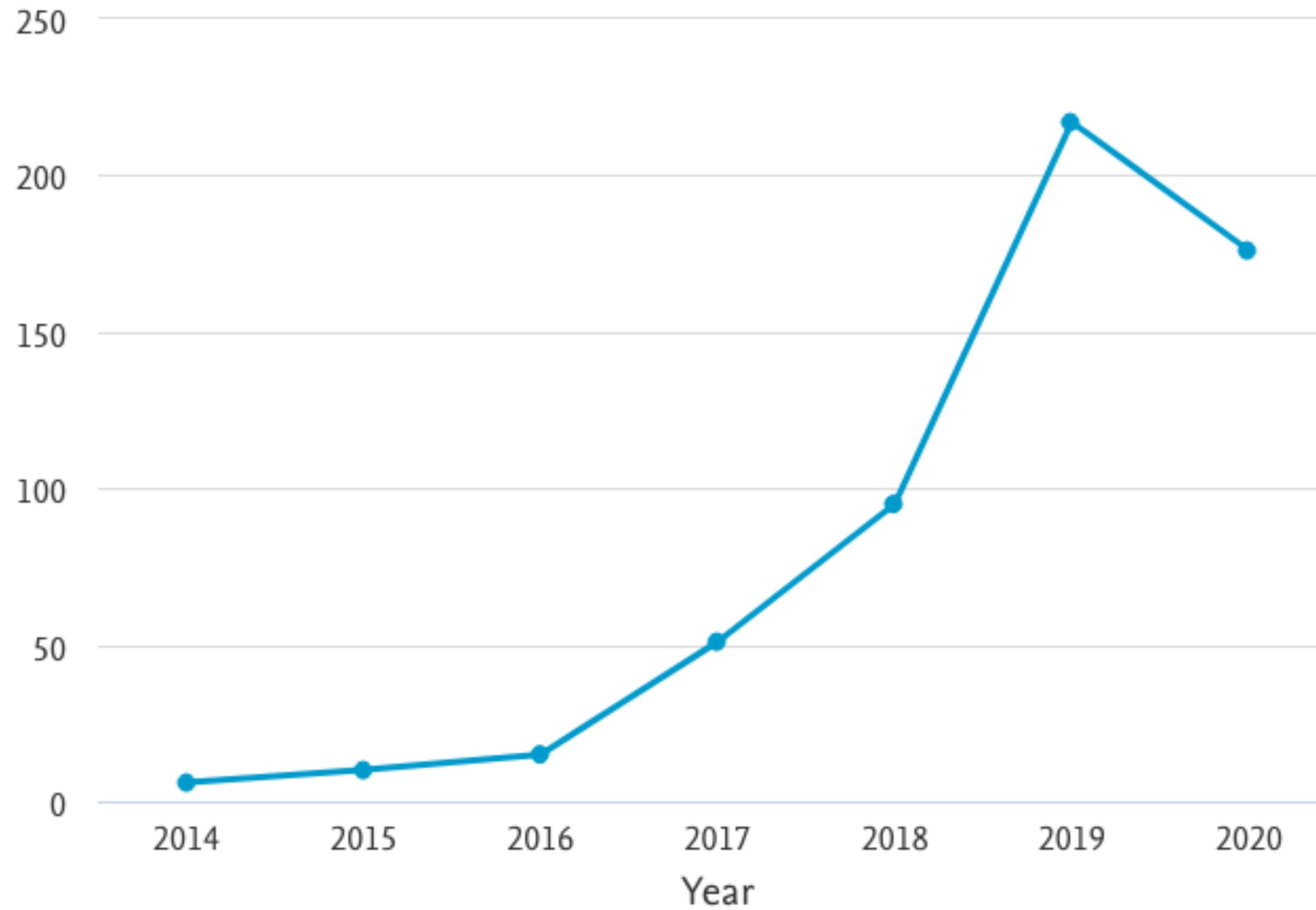
Serverless



A Gentle Introduction to Serverless



Serverless as Research Topic



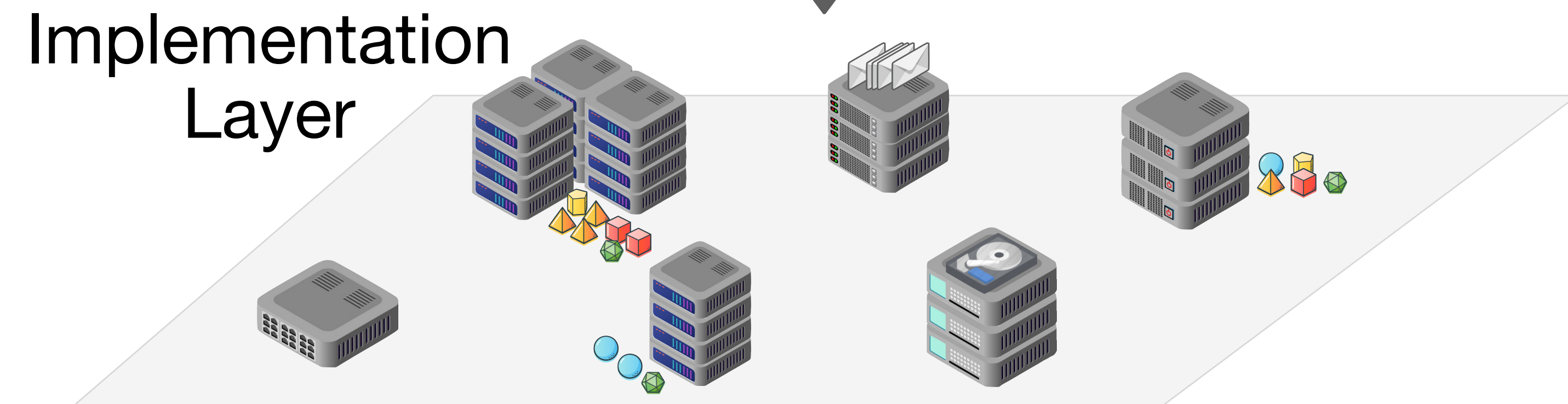
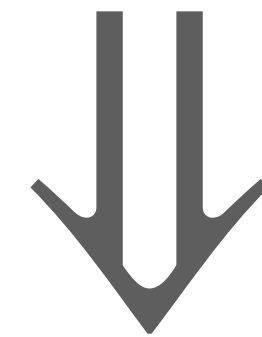
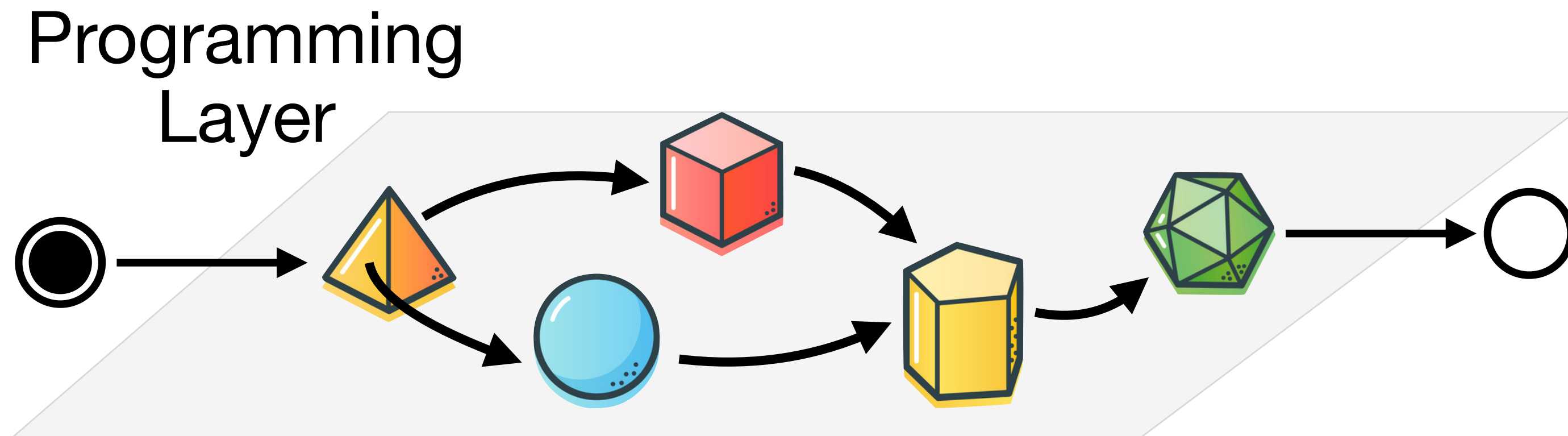
Source: Scopus

Serverless as Research Topic

Venue	# Papers	Core / SCIMAGO Rank
Future Generation Computer Systems	8	Software : Q1
IEEE Internet Computing	3	Computer Networks and Communications : Q1
IEEE Transactions on Parallel and Distributed Systems	2	Computational Theory and Mathematics: Q1
USENIX Annual Technical Conference + HotCloud	13 (6,7)	A / -
IC2E + IEEE CLOUD + CLOSER	20 (5,10,5)	- / B / -
ACM Symposium on Cloud Computing (SoCC)	12	-
SIGMOD	4	A*
Middleware	4	A
CIDR	3	A
OOPSLA	2	A*
ICSE	2	A*
INFOCOM	2	A*

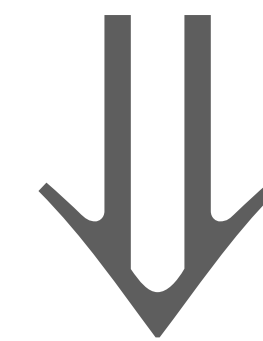
Source: DBLP

The Servers of Serverless



SKC

influenced by λ and π calculus



π calculus

SKC • Simple Example (async)

$$\begin{aligned}
 & \langle c \blacktriangleleft \text{async call } f, \mathcal{D} \rangle \\
 & \longrightarrow \langle \nu c' (c \blacktriangleleft c' \mid c' \blacktriangleleft \text{call } f), \mathcal{D} \rangle \\
 & \longrightarrow \langle \nu c' (c \blacktriangleleft c' \mid c' \blacktriangleleft M), \mathcal{D} \rangle \\
 & \longrightarrow \langle \nu c' (c \blacktriangleleft c' \mid c' \blacktriangleleft V), \mathcal{D} \rangle \\
 & \longrightarrow \langle \nu c' (c \blacktriangleleft V \mid c' \blacktriangleleft V), \mathcal{D} \rangle
 \end{aligned}$$

SKC • Example, Private State

$$\left(\underbrace{\text{newLog}}_{\text{Fresh name /restriction}}, \underbrace{\nu \log}_{\text{Name}}(\text{store } \underbrace{\log}_{\text{Body}} \text{ call } \overbrace{\text{nil}}^{\text{Empty list}} \underbrace{\log}_{\text{Continuation}}) \right) \in D$$

SKC • Example, Private State

(*newLog*, ν log(store log call nil log)) $\in D$

SKC • Example, Private State

$(\text{newLog}, \nu \log(\text{store } \log \text{ call nil } \log)) \in D$

$\langle c \blacktriangleleft (\lambda x . (\text{call pair } ((M \ x)(N \ x)) \ x)) \text{ call newLog}, D \rangle$

SKC • Example, Private State

$(\text{newLog}, \nu \log(\text{store } \log \text{ call } \text{nil } \log)) \in D$

$\langle c \blacktriangleleft (\lambda x . (\text{call pair } ((M \ x)(N \ x)) \ x)) \text{ call } \text{newLog}, D \rangle$

$\langle c \blacktriangleleft (\lambda x . (\text{call pair } ((M \ x)(N \ x)) \ x)) \nu \log(\text{store } \log \text{ call } \text{nil } \log), D \rangle$

SKC • Example, Private State

$$(\text{newLog}, \nu \log(\text{store } \log \text{ call } \text{nil } \log)) \in D$$

$$\langle c \blacktriangleleft (\lambda x . (\text{call pair } ((M \ x)(N \ x)) \ x)) \text{ call } \text{newLog}, D \rangle$$

$$\langle c \blacktriangleleft (\lambda x . (\text{call pair } ((M \ x)(N \ x)) \ x)) \nu \log(\text{store } \log \text{ call } \text{nil } \log), D \rangle$$

$$\nu \log \langle c \blacktriangleleft (\lambda x . (\text{call pair } ((M \ x)(N \ x)) \ x)) \log, D \cup \{(\log, \text{call } \text{nil})\} \rangle$$

SKC • Example, Private State

$(\text{newLog}, \nu\log(\text{store } \log \text{ call } \text{nil } \log)) \in D$

$\langle c \blacktriangleleft (\lambda x . (\text{call pair } ((M x)(N x)) x)) \text{ call } \text{newLog}, D \rangle$

$\langle c \blacktriangleleft (\lambda x . (\text{call pair } ((M x)(N x)) x)) \nu\log(\text{store } \log \text{ call } \text{nil } \log), D \rangle$

$\nu\log \langle c \blacktriangleleft (\lambda x . (\text{call pair } ((M x)(N x)) x)) \log, D \cup \{(\log, \text{call } \text{nil})\} \rangle$

$\nu\log \langle c \blacktriangleleft \text{call pair } ((M \log)(N \log)) \log, D \cup \{(\log, \text{call } \text{nil})\} \rangle$

SKC • Example, Private State

$$(\text{newLog}, \nu \log(\text{store } \log \text{ call } \text{nil } \log)) \in D$$

$$\langle c \blacktriangleleft (\lambda x. (\text{call pair } ((M \ x)(N \ x)) \ x)) \text{ call } \text{newLog}, D \rangle$$

$$\langle c \blacktriangleleft (\lambda x. (\text{call pair } ((M \ x)(N \ x)) \ x)) \nu \log(\text{store } \log \text{ call } \text{nil } \log), D \rangle$$

$$\nu \log \langle c \blacktriangleleft (\lambda x. (\text{call pair } ((M \ x)(N \ x)) \ x)) \log, D \cup \{(\log, \text{call } \text{nil})\} \rangle$$

$$\nu \log \langle c \blacktriangleleft \text{call pair } ((M \ \log)(N \ \log)) \log, D \cup \{(\log, \text{call } \text{nil})\} \rangle$$

$$\nu \log \langle c \blacktriangleleft \text{call pair } (M \ \log \ V_N) \log, D \cup \{(\log, N_{\log})\} \rangle$$

SKC • Example, Private State

$$(\text{newLog}, \nu \log(\text{store } \log \text{ call } \text{nil } \log)) \in D$$

$$\langle c \blacktriangleleft (\lambda x. (\text{call pair } ((M \ x)(N \ x)) \ x)) \text{ call } \text{newLog}, D \rangle$$

$$\langle c \blacktriangleleft (\lambda x. (\text{call pair } ((M \ x)(N \ x)) \ x)) \nu \log(\text{store } \log \text{ call } \text{nil } \log), D \rangle$$

$$\nu \log \langle c \blacktriangleleft (\lambda x. (\text{call pair } ((M \ x)(N \ x)) \ x)) \log, D \cup \{(\log, \text{call } \text{nil})\} \rangle$$

$$\nu \log \langle c \blacktriangleleft \text{call pair } ((M \ \log)(N \ \log)) \log, D \cup \{(\log, \text{call } \text{nil})\} \rangle$$

$$\nu \log \langle c \blacktriangleleft \text{call pair } (M \ \log \ V_N) \log, D \cup \{(\log, N_{\log})\} \rangle$$

$$\nu \log \langle c \blacktriangleleft \text{call pair } V_M \log, D \cup \{(\log, N_{\log} :: M_{\log})\} \rangle$$

SKC • Results, $SKC \leftrightarrow \pi$ Operational Correspondence

Theorem 1. From SKC -to- π operational correspondence

If $C \rightarrow C'$ then $\llbracket C \rrbracket^* \rightarrow \approx \llbracket C' \rrbracket^*$

Theorem 2. From π -to- SKC operational correspondence.

If $\llbracket C \rrbracket^* \rightarrow P$ then there is C' with $C \rightarrow C'$ and $P \approx \llbracket C' \rrbracket^*$

SKC • Future Work

- **guarantees** like *sequential execution/consistency* (global total order) and weaker forms, like *global-state transformation serialisability* (equivalence to a global serial schedule);
- **programming models** to have a global view of the logic of the distributed functions, yet capturing the loosely-consistent execution model of Serverless (e.g., choreographies);
- **transformation frameworks**, e.g., depending on the application context and inbound load, users/optimisation systems can transform parts of a given system from Serverless to Microservices and vice versa;
- **prediction models** for cost/resource usage, which require a modelling that relates functions and their execution at the implementation layer.

Thank for your time



*Happy
cruising!*